



# One-way Analysis of Variance (ANOVA)

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# RULES



1. PJ mata kuliah wajib mempersiapkan perlengkapan sebelum proses pembelajaran
2. Membawa Laptop (optional)
3. Terpasang Software SPSS
4. Terkoneksi Internet
5. Mengumpulkan *hasil praktik* selesai perkuliahan di SIP

# Aim

The one-way analysis of variance (ANOVA) is an extension of the independent t test. It is used when the researcher is interested in whether the means from several ( $>2$ ) independent groups differ.

For example, if a researcher is interested in investigating whether four ethnic groups differ in their IQ scores, the one-way ANOVA can be used.

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# Checklist of Requirements

In any analysis, there must be only one independent variable (e.g., ethnicity).

There should be more than two levels for that independent variable (e.g., Australian, American, Chinese, African).

There must be only one dependent variable.

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# Assumptions

Normality—The dependent variable is normally distributed.

Homogeneity of variance—The groups have approximately equal variance on the dependent variable.



# Example

A researcher is interested in finding out whether intensity of electric shock will affect the time required to solve a set of difficult problems. Eighteen subjects are randomly assigned to the three experimental conditions of “Low Shock,” “Medium Shock,” and “High Shock.”

The total time (in minutes) required to solve all the problems is the measure recorded for each subject.

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Shock Intensity					
Low		Medium		High	
s1	15	s7	30	s13	40
s2	10	s8	15	s14	35
s3	25	s9	20	s15	50
s4	15	s10	25	s16	43
s5	20	s11	23	s17	45
s6	18	s12	20	s18	40

s9	18	s15	30	s18	40
s2	30	s11	33	s12	42

# Data Entry Format

Variables	Column(s)	Code
• SHOCK	• 1	• 1 = low, 2 = medium, 3 = high
• TIME	• 2	• Time in minutes

• TIME

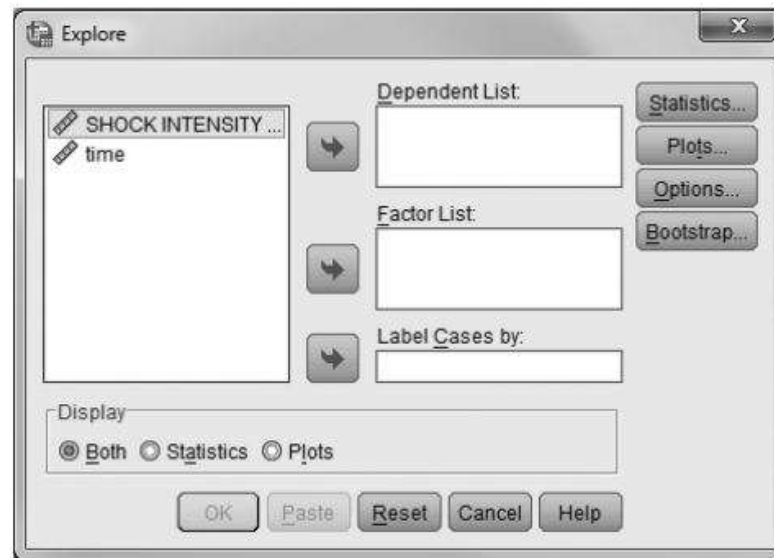
• 1

• TIME IN MINUTES

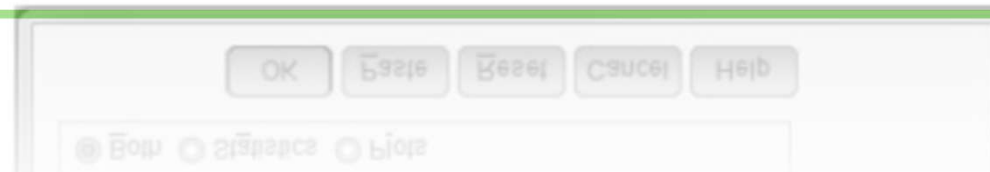
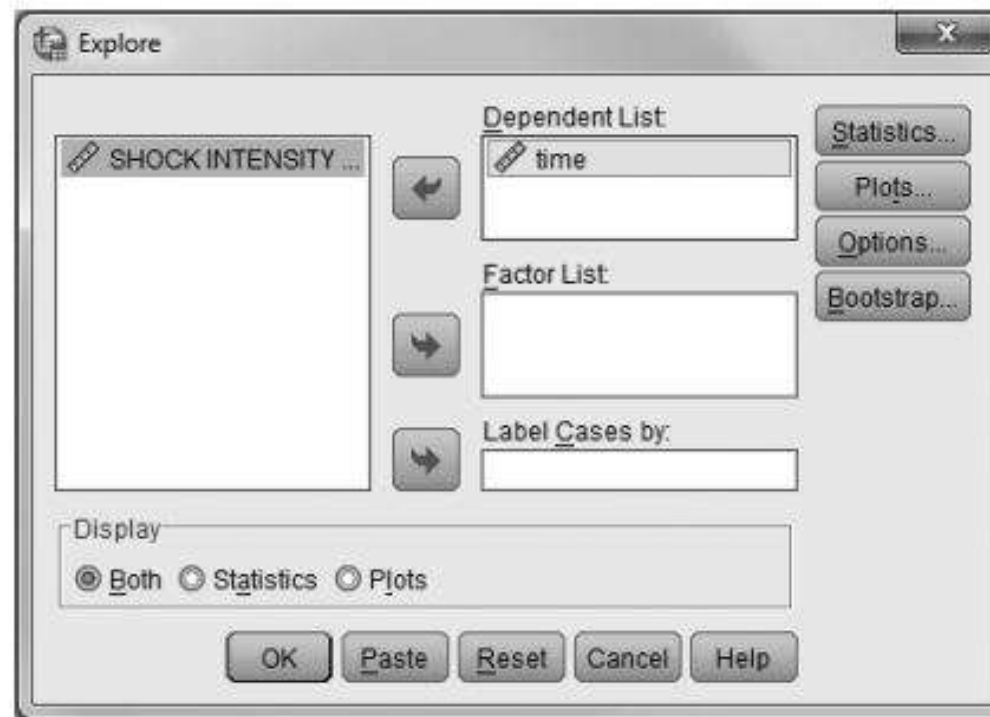


# Testing Assumptions

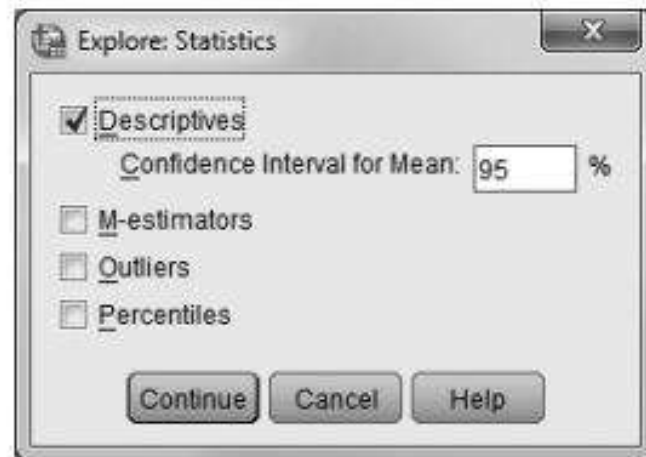
1. From the menu bar, click **Analyze**, then **Descriptive Statistics**, and then **Explore...** . The following **Explore** window will open.



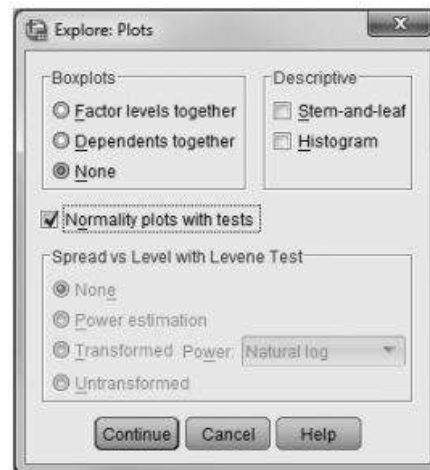
2. Transfer the **TIME** variable to the **Dependent List:** field by clicking this variable (highlight) and then clicking ➡.



3. Click **Statistics...** to open the **Explore: Statistics** window. Check the **Descriptives** field and click **Continue** to return to the **Explore** window.

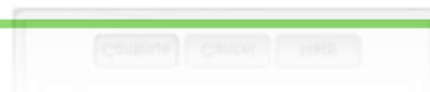


4. In the **Explore** window click **Plots...** to open the **Explore: Plots** window. Check the **Normality plots with tests** field.

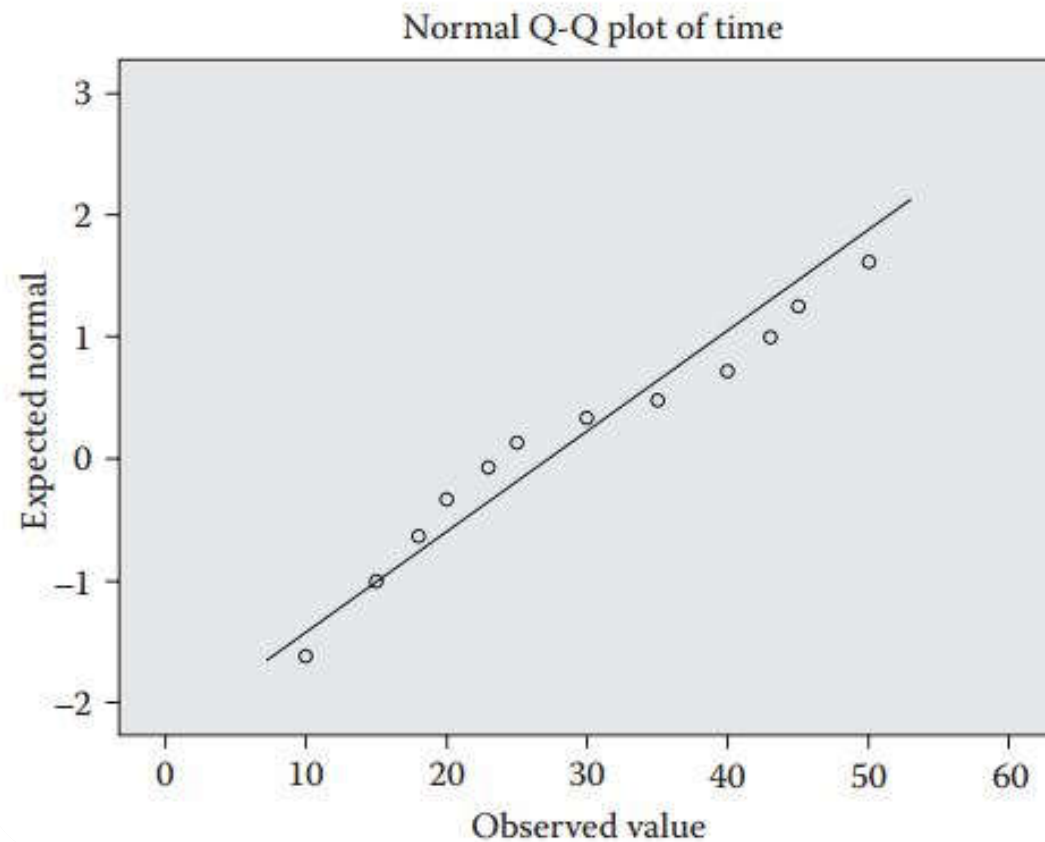


Click **Continue** to return to the **Explore** window.

Click **Continue** to return to the **Explore** window.



# SPSS Output



### Tests of Normality

	Kolmogorov-Smirnov <sup>a</sup>			Shapiro-Wilk		
	Statistic	df	Sig.	Statistic	df	Sig.
Time	.182	18	.118	.921	18	.136

<sup>a</sup> Lilliefors significance correction.

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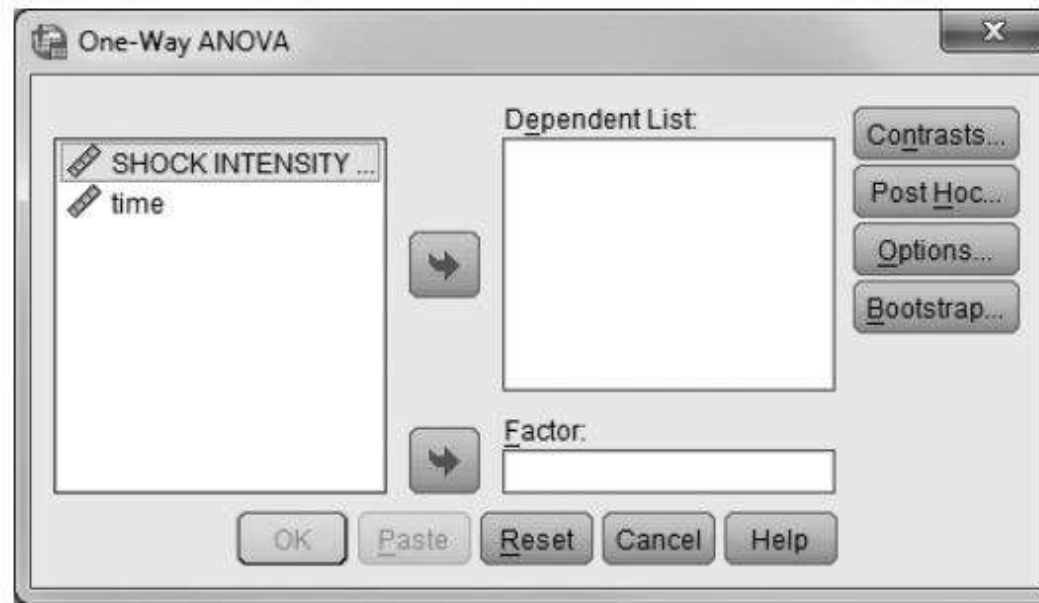
# Interpretation

For both the Kolmogorov-Smirnov and the Shapiro-Wilk tests, the computed significance levels are greater than 0.05 (0.118 and 0.136, respectively). Therefore, normality can be assumed.

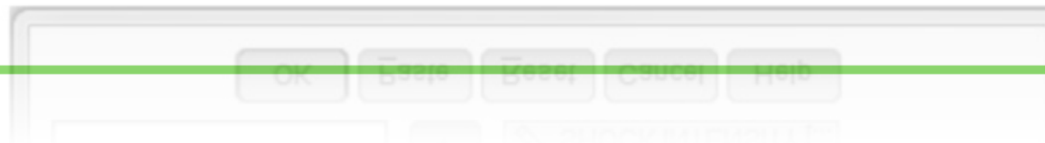
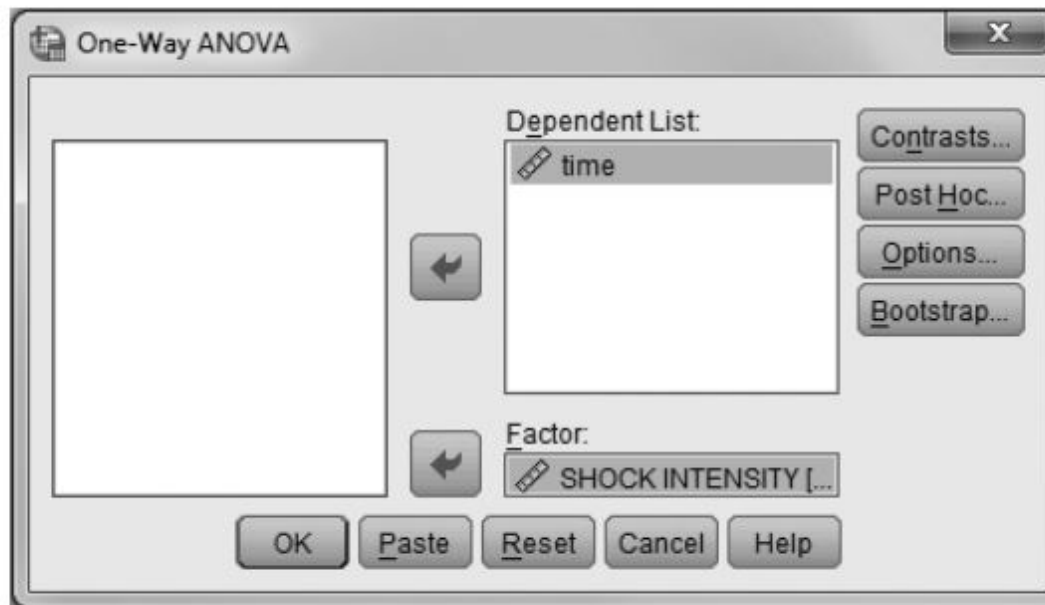




# Homogeneity of Variance

1. From the menu bar, click **Analyze**, then **Compare Means**, and then **One-Way ANOVA**. The following **One-Way ANOVA** window will open.







Since the one-way ANOVA will only perform an omnibus analysis of the *overall* differences between the three levels (low, medium, high) of the independent variable **SHOCK**, it will not analyze the differences between the *specific* shock levels. To obtain multiple comparisons between the three shock levels (low shock versus medium shock, low shock versus high shock, medium shock versus high shock), the researcher needs to perform a **post hoc** comparison test. Click  to achieve this. When the following **One-Way ANOVA: Post Hoc Multiple Comparisons** window opens, check the **Scheffe** field to run the Scheffé post hoc test. Next, click .

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One-Way ANOVA: Post Hoc Multiple Comparisons

Equal Variances Assumed

<input type="checkbox"/> LSD	<input type="checkbox"/> S-N-K	<input type="checkbox"/> Waller-Duncan
<input type="checkbox"/> Bonferroni	<input type="checkbox"/> Tukey	Type I/Type II Error Ratio: 100
<input type="checkbox"/> Sidak	<input type="checkbox"/> Tukey's-b	<input type="checkbox"/> Dunnett
<input checked="" type="checkbox"/> Scheffe	<input type="checkbox"/> Duncan	Control Category: Last
<input type="checkbox"/> R-E-G-W F	<input type="checkbox"/> Hochberg's GT2	Test
<input type="checkbox"/> R-E-G-W Q	<input type="checkbox"/> Gabriel	<input checked="" type="radio"/> 2-sided <input type="radio"/> < Control <input type="radio"/> > Control

Equal Variances Not Assumed

<input type="checkbox"/> Tamhane's T2	<input type="checkbox"/> Dunnett's T3	<input type="checkbox"/> Games-Howell	<input type="checkbox"/> Dunnett's C
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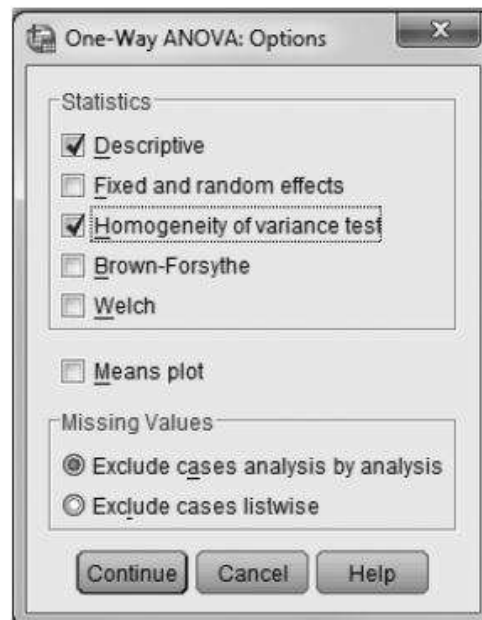
Significance level: 0.05

Continue Cancel Help

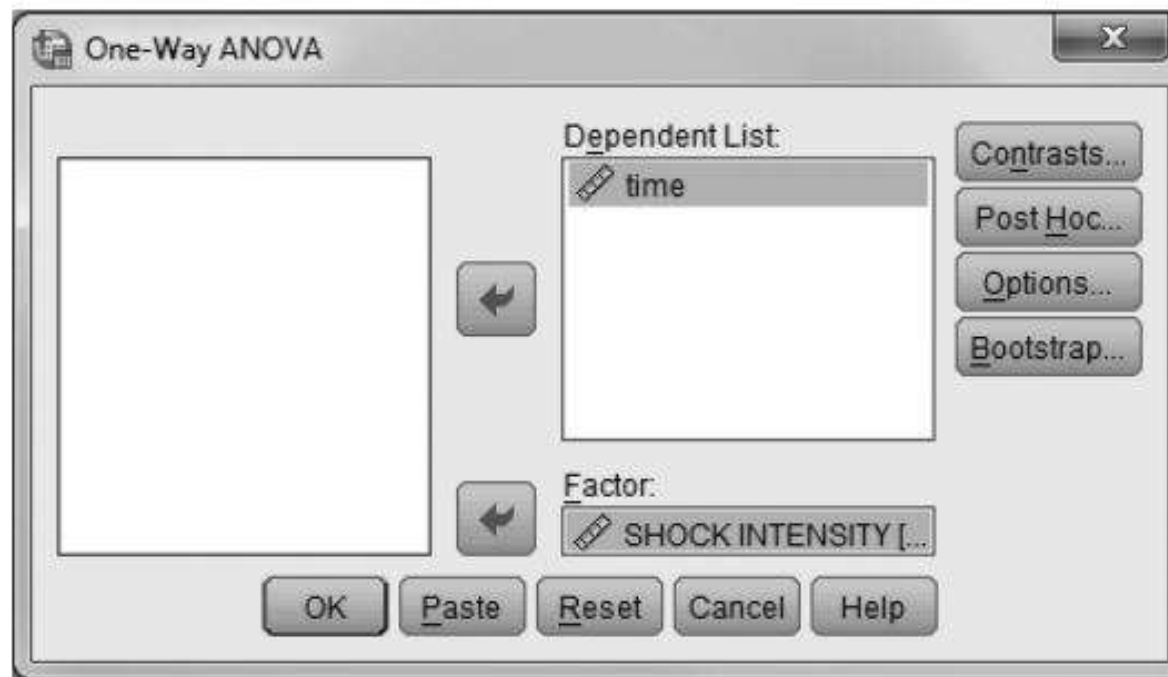
Continue Cancel Help

Significance level: 0.05

When the **One-Way ANOVA** window opens, click **Options...** to open the **One-Way ANOVA: Options** window. Check the **Descriptive** box and the **Homogeneity of variance test** box and then click **Continue**.



When the following **One-Way ANOVA** window opens, run the analysis by clicking **OK**. See Table 6.2 for the results.



# SPSS Output

## One-Way ANOVA Output

Descriptives								
Time								
					95% Confidence Interval for Mean			
	N	Mean	Std. Deviation	Std. Error	Lower Bound	Upper Bound	Minimum	Maximum
LOW SHOCK	6	17.1667	5.11534	2.08833	11.7985	22.5349	10.00	25.00
MEDIUM SHOCK	6	22.1667	5.11534	2.08833	16.7985	27.5349	15.00	30.00
HIGH SHOCK	6	42.1667	5.11534	2.08833	36.7985	47.5349	35.00	50.00
Total	18	27.1667	12.10858	2.85402	21.1452	33.1881	10.00	50.00

LOW SHOCK	6	17.1667	5.11534	2.08833	11.7985	22.5349	10.00	25.00
MEDIUM SHOCK	6	22.1667	5.11534	2.08833	16.7985	27.5349	15.00	30.00
HIGH SHOCK	6	42.1667	5.11534	2.08833	36.7985	47.5349	35.00	50.00

### Test of Homogeneity of Variances

**Time**

Levene Statistic	df1	df2	Sig.
.000	2	15	1.000

### Anova

**Time**

	Sum of Squares	df	Mean Square	F	Sig.
Between Groups	2100.000	2	1050.000	40.127	.000
Within Groups	392.500	15	26.167		
Total	2492.500	17			

Total	2492.500	17			
Within Groups	392.500	15	26.167		
Between Groups	2100.000	2	1050.000	40.127	.000

## Post Hoc Tests

### Multiple Comparisons

Dependent Variable: TIME

Scheffe

(I) SHOCK INTENSITY	(J) SHOCK INTENSITY	Mean Difference (I-J)	Std. Error	Sig.	95% Confidence Interval	
					Lower Bound	Upper Bound
LOW SHOCK	MEDIUM SHOCK	-5.0000	2.95334	.269	-13.0147	3.0147
	HIGH SHOCK	-25.0000*	2.95334	.000	-33.0147	-16.9853
MEDIUM SHOCK	LOW SHOCK	5.0000	2.95334	.269	-3.0147	13.0147
	HIGH SHOCK	-20.0000*	2.95334	.000	-28.0147	-11.9853
HIGH SHOCK	LOW SHOCK	25.0000*	2.95334	.000	16.9853	33.0147
	MEDIUM SHOCK	20.0000*	2.95334	.000	11.9853	28.0147

\* The mean difference significant at the .05 level.

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HIGH SHOCK	MEDIUM SHOCK	50.0000.	5.92334	.000	11.9823	58.0143
	LOW SHOCK	52.0000.	5.92334	.000	16.9823	33.0143
SHOCK	HIGH SHOCK	-50.0000.	5.92334	.000	-58.0143	-11.9823



# Results and Interpretation

The assumption of **homogeneity of variance** is tested by the **Levene statistic**, which tests the hypothesis that the population variances are equal. In this example, the Levene statistic is  $F = 0.000$  and the corresponding level of significance is large (i.e.,  $p > .05$ ) (see Table 6.1). Thus, the assumption of homogeneity of variance has not been violated.

The results from the analysis (Table 6.1) indicate that the intensity of the electric shock has a significant effect on the time taken to solve the problems,  $F(2,15) = 40.13$ ,  $p < .001$ . The mean values for the three shock levels indicate that, as the shock level increased (from low to medium to high), so did the time taken to solve the problems (low:  $M = 17.17$ ; medium:  $M = 22.17$ ; high:  $M = 42.17$ ).

$M = 42.17$

that as the shock level increased (from low to medium to high), so did the time taken to solve the problems (low:  $M = 17.17$ ; medium:  $M = 22.17$ ; high:  $M = 42.17$ ).

The



# REFLEKSI

1. Informasi penting hari ini
2. Manfaat penting dari informasi penting hari ini
3. Tindak lanjut yang dapat saudara lakukan



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Thank You